

## Example for Short-term Estimate, Arithmetic Growth Method:

- Assumption:  $\frac{dP}{dt} = K_a = \text{constant growth rate}$

- Equation 1.2:

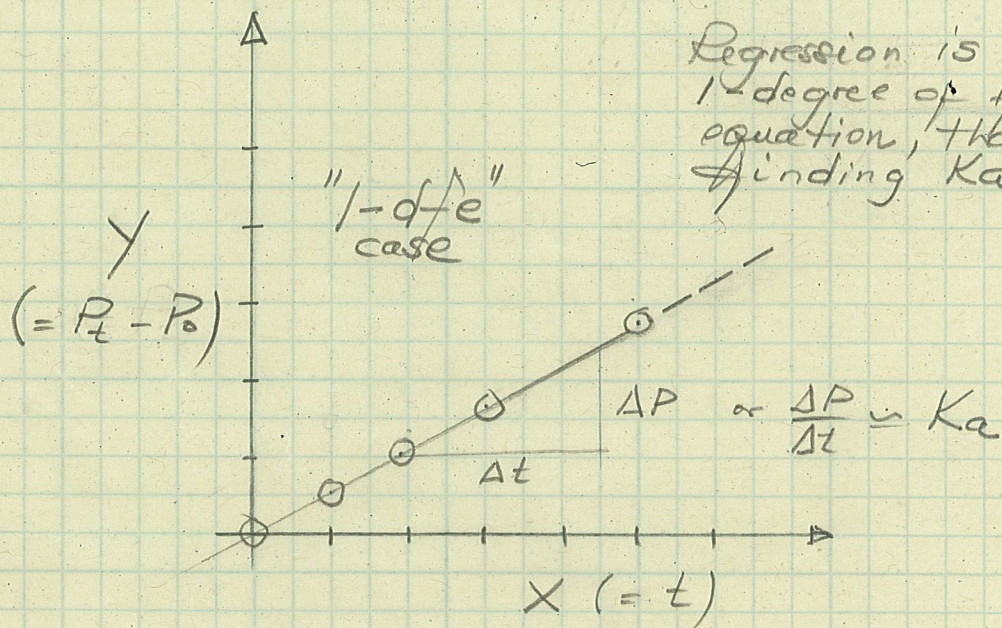
$$P_t = K_a t + P_0$$

$$Y = MX + N$$

a) If  $P_0 = \text{unknown}$ : Regression is for a 2-degree of freedom equation, that is finding  $K_a$  &  $P_0$

b) If  $P_0 = \text{known}$ :  $P_t - P_0 = K_a t$

$$Y = MX$$



Determine the "coefficient of determination" or R-Squared,  $R^2$ , to define the goodness of fit.

$$0 \leq R^2 \leq 1$$

no fit. ←

→ perfect fit of data to a line

## Example for Short-term Estimate, Arithmetic Growth Method:

- Assumption:  $\frac{dP}{dt} = K_d = \text{constant growth rate}$

- Equation 1.2:

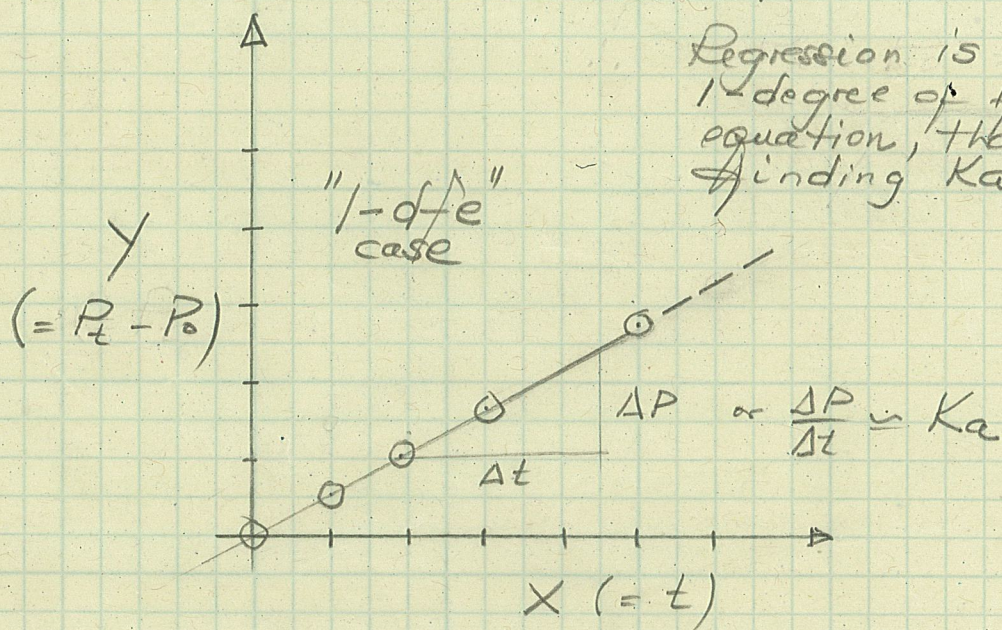
$$P_t = K_d t + P_0$$

$$Y = MX + N$$

a) If  $P_0 = \text{unknown}$ : Regression is for a 2-degree of freedom equation, that is finding  $K_d$  &  $P_0$

b) If  $P_0 = \text{known}$ :  $P_t - P_0 = K_d t$

$$Y = MX$$



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